

COMMONWEALTH OF AUSTRALIA

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Family Name	
Given Names	
Student Number	<input type="text"/> <input type="text"/> <input type="text"/> <input type="text"/> <input type="text"/> <input type="text"/> <input type="text"/>
Teaching Period	Semester 2, 2016

FINAL EXAMINATION	DURATION
ENG445 – Process Control and Simulation	
	Reading Time: 10 minutes
	Writing Time: 180 minutes

INSTRUCTIONS TO CANDIDATES

EXAM CONDITIONS

You may begin writing from the commencement of the examination session. The reading time indicated above is provided as a guide only.

This is a CLOSED BOOK examination

Any non-programmable calculator is permitted

No handwritten notes are permitted

No dictionaries are permitted

ADDITIONAL AUTHORISED MATERIALS	EXAMINATION MATERIALS TO BE SUPPLIED
No additional printed material is permitted	1 x 20 Page Book 1 x Scrap Paper Formula Sheet/s Graph Paper

**THIS EXAMINATION IS PRINTED
DOUBLE-SIDED.**

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Question 1

(35 marks)

It is desired to control the exit concentration C_3 of a liquid blending tank as shown in the figure. Using the information below, do the following.

- Draw a block diagram for the composition control scheme.
- Derive an expression for each transfer function and substitute the constants with numerical values.

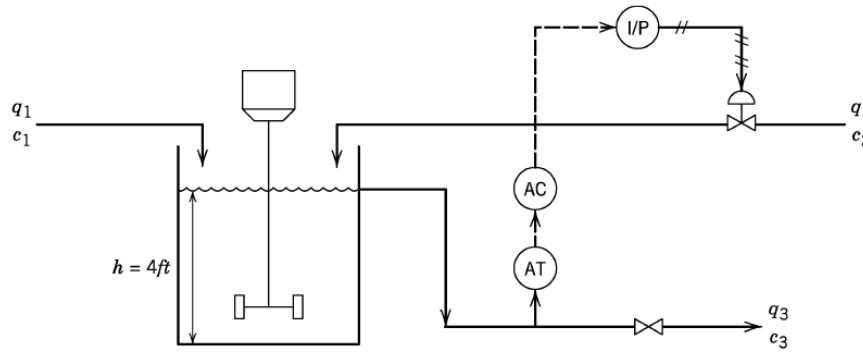


Figure 1

The information of the system is as follow

- The tank is perfectly mixed
- An overflow pipe is used to keep the level at 4 ft
- The volumetric flow rate and solute concentration of stream 2, q_2 and C_2 , vary with time, whereas those of stream 1 are constant.
- The densities of all streams are the same and constant with time.
- A 2 min time delay is associated with the compositions measurement. The transmission output signal varies linearly from 4 to 20 mA as C_3 varies from 3 to 9 $lb\ solute/ft^3$
- The pneumatic control valve has negligible dynamics. Its steady-state behaviour is summarized below where p_t is the air pressure signal to the control valve from the I/P transducer

p_t (psi)	q_2 (gal/min)
6	20
9	15
12	10

- An electronic, direct-acting PI controller is used
- The current to pressure transducer has negligible dynamics and a gain of 0.3 psi/mA
- There is a time delay between the temperature of the tank and the reading temperature at AT.
- The nominal operating conditions are:

$$\begin{aligned}
 \rho &= 75\ lb/ft^3 & \bar{q}_1 &= \bar{q}_2 = 75\ lb/min \\
 \bar{C}_3 &= 5\ lb\ solute/ft^3 & \bar{C}_2 &= 7\ lb\ solute/ft^3 \\
 \bar{C}_1 &= 2\ lb\ solute/ft^3 & D &= 4\ ft
 \end{aligned}$$

Question 2

(35 marks)

The figure below shows a typical liquid level control system. Determine the numerical values of k_c and τ_I that result in a stable closed loop system. The level transmitter has negligible dynamics, while the control valve has a time constant of 10 s. Use the following values for your transfer function.

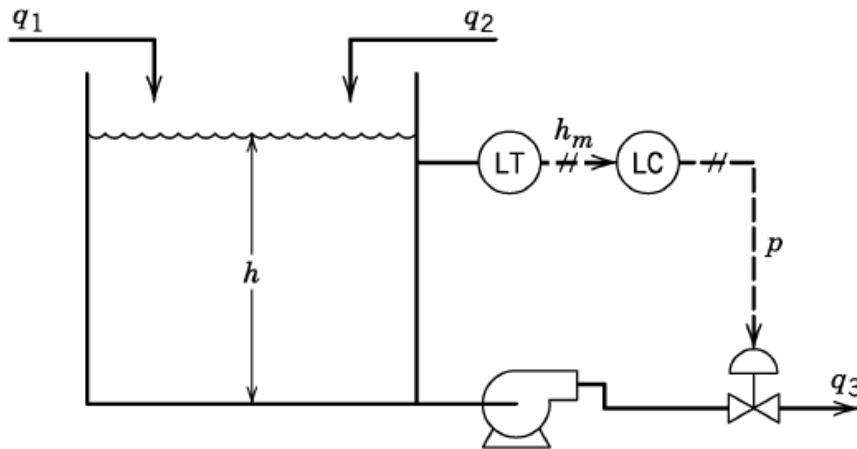


Figure 2

$$A = 3 \text{ ft}^2, \bar{q}_3 = 10 \text{ gal/min}, k_v = -1.3 \text{ gal/min mA}, \text{ and } k_m = 4.0 \text{ mA/ft}$$

Question 3

(20 marks)

Find the transfer function for the following block diagrams.

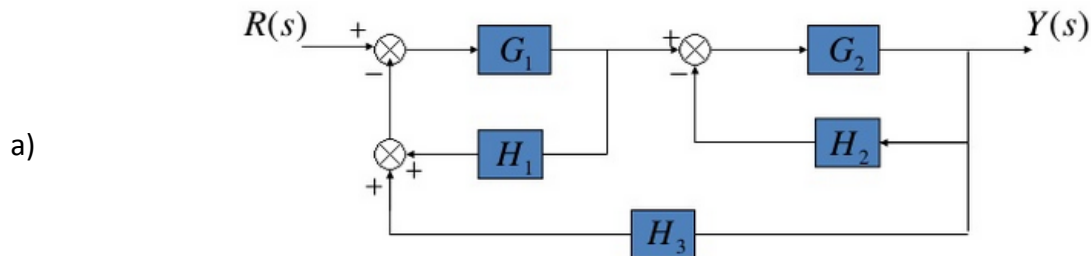


Figure 3

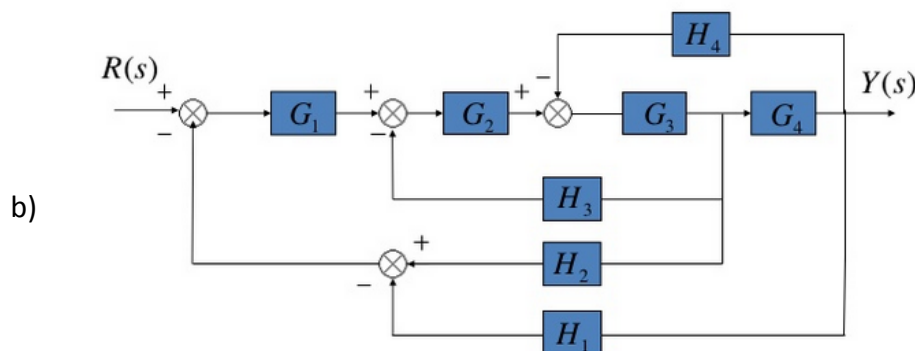
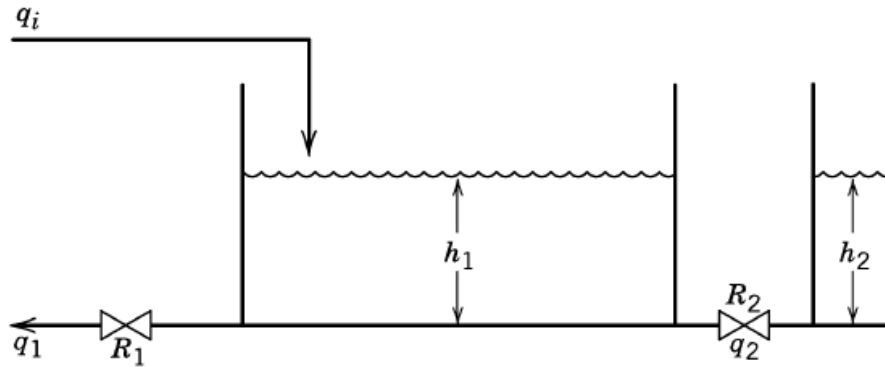


Figure 4

Question 4

(10 marks)

Consider the storage tank with sight glass in the figure below.



The parameter values are $R_1 = 0.5 \text{ min/ft}^2$, $R_2 = 2 \text{ min/ft}^2$, $A_1 = 10 \text{ ft}^2$, $K_v = 2.5 \text{ cfm/mA}$, $A_2 = 0.8 \text{ ft}^2$, $K_m = 1.5 \text{ mA/ft}$, and $T_m = 0.5 \text{ min}$.

- Calculate the PI setting parameters by using the Ziegler-Nichols rules
- What are the gain and phase margins? Assume $R_2 = 2 \text{ min/ft}^2$

The transfer function of the system is given by

$$G_p(s) = \frac{R_1}{(A_1 R_1 A_2 R_2) s^2 + (A_1 R_1 + A_2 R_1 + A_2 R_2) s + 1}$$

Table 12.4 Controller Settings based on the Continuous Cycling Method

Ziegler-Nichols	K_c	τ_I	τ_D
P	$0.5K_{cu}$	—	—
PI	$0.45K_{cu}$	$P_u/1.2$	—
PID	$0.6K_{cu}$	$P_u/2$	$P_u/8$
Tyres-Luyben [†]	K_c	τ_I	τ_D
PI	$0.31K_{cu}$	$2.2P_u$	—
PID	$0.45K_{cu}$	$2.2P_u$	$P_u/6.3$

[†] Luyben and Luyben (1997).